

On the Topological Landscape of Web Services Matchmaking



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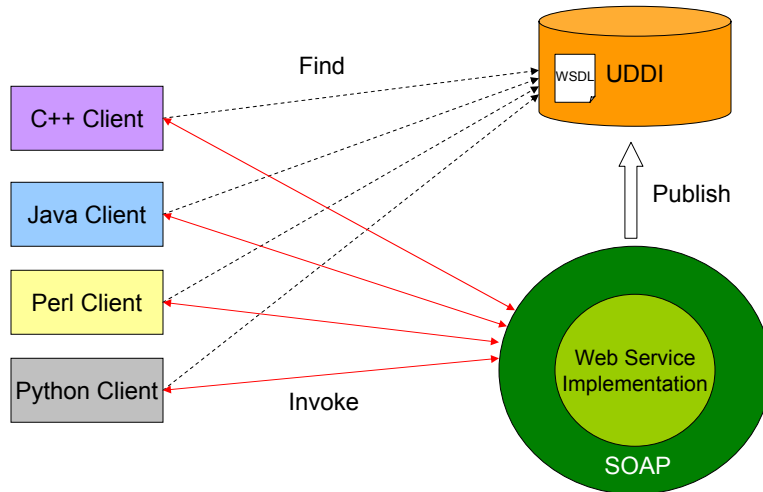


SMR 2006 Talk

Motivation

- How useful are current web services?
 - Very little research
- Web services in WSDL form a network
 - Network analysis technique
- The topology of networks often help understand its behavior:
 - How to describe a large network quantitatively ?
 - How were networks formed?
 - What are the consequences of a specific network organization?

Web Services



WSDL

- Web Services Definition Language
- WSDL provides a way for service providers to describe the basic format of web service requests over different protocols or encodings
- WSDL is used to describe *what* a web service can do, *where* it resides, and *how* to invoke it
- Similar to IDL of CORBA

WSDL

- A *web service*, *ws*, consists of operations
- An *operation*, *op*, consists of input and output parameters: *op(IN, OUT)*
 - One-way
 - Request-response
 - Solicit-response
 - Notification
- A *parameter*, *p*, has name and type
 - *p(name, type)*

Example

findRestaurant(16801, "Korean")

```
<message name='findRestaurant_Request'>
  <part name='zip' type='xs:string'>
  <part name='foodPref' type='xs:string'>
</message>
<message name='findRestaurant_Response'>
  <part name='zip' type='xs:string'>
  <part name='phone' type='xs:integer'>
</message>
<portType name='allRestaurant'>
  <operation name='findRestaurant'>
    <input message='findRestaurant_Request' />
    <output message='findRestaurant_Response' />
  </operation>
</portType>
```

op: findRestaurant
IN={zip, foodPref}
OUT = {zip, phone}

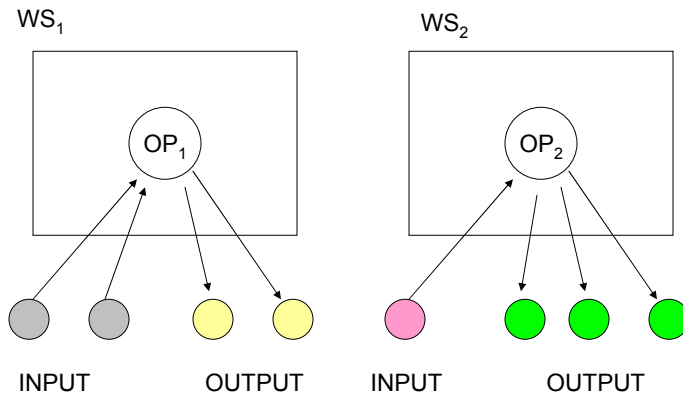
Matchmaking Framework: Parameter Matching

- For two parameters:
 - $p_1(\text{name}_1, \text{type}_1)$ and $p_2(\text{name}_2, \text{type}_2)$,
 - **Type-Match:** p_1 type-matches p_2 iff
(1) $p_1.\text{type} == p_2.\text{type}$ or (2) $p_1.\text{type}$ is derived from $p_2.\text{type}$.
 - **Name-Match:** p_1 name-matches p_2 iff
 $\text{dist}(p_1.\text{name}, p_2.\text{name}) \leq \text{threshold}$
- p_1 matches p_2 , ($p_1 \sim p_2$), if p_1 and p_2 are type-match and name-match
- Eg. $p(\text{"password"}, \text{xs:string}) \sim q(\text{"pwd"}, \text{xs:string})$

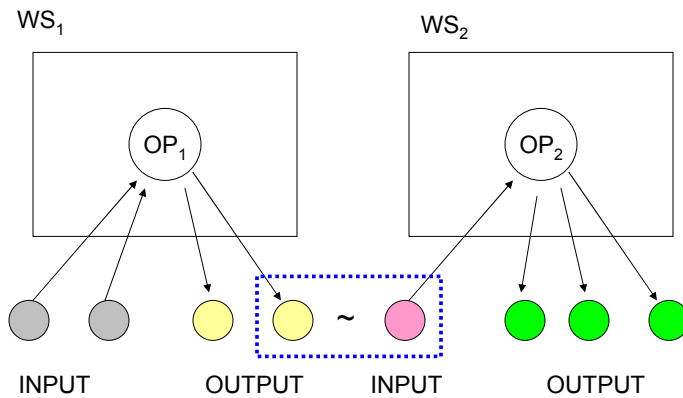
Matchmaking Framework: Operation Invocation

- For two operations
 - $op_1(\text{IN}_1, \text{OUT}_1)$ and $op_2(\text{IN}_2, \text{OUT}_2)$,
- **Full Invocation (FI)**
 - op_1 fully invokes op_2 if for every mandatory input parameter p in IN_2 , there exists an output parameter q in OUT_1 such that $q \sim p$.
- **Partial Invocation (PI)**
 - op_1 partially Invokes op_2 if there exists any mandatory input parameter p in IN_2 , an output parameter q in OUT_1 such that $q \sim p$.

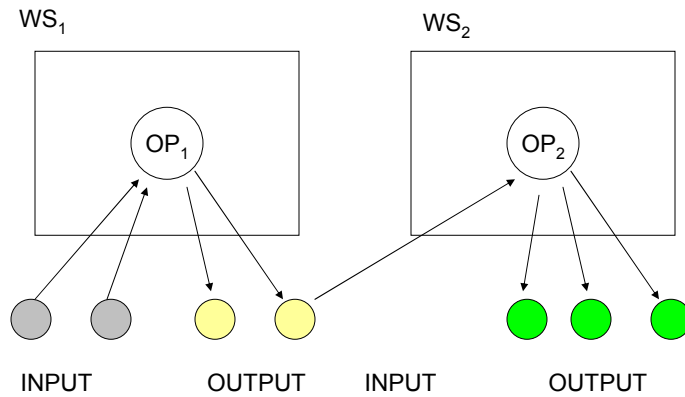
Matchmaking Framework: Web Service Network Model



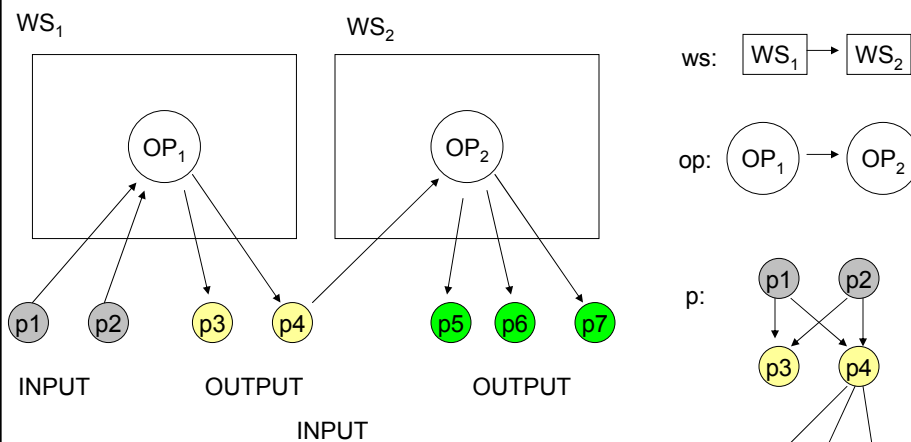
Matchmaking Framework: Web Service Network Model



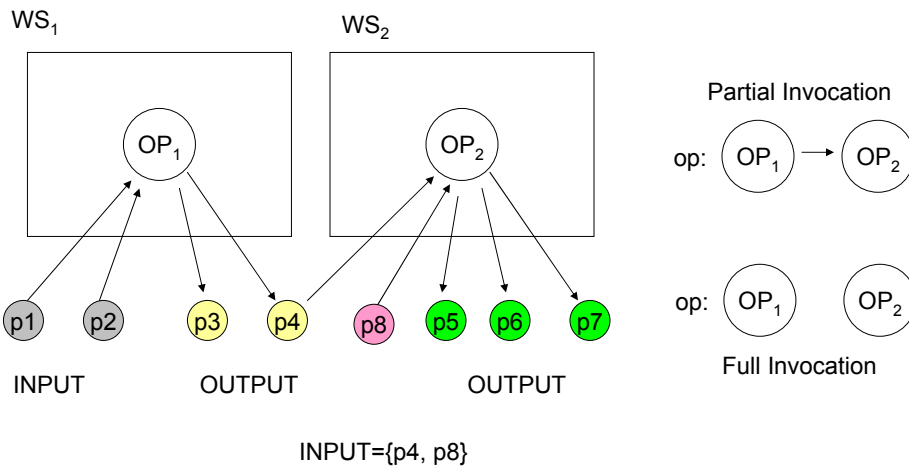
Matchmaking Framework: Web Service Network Model



Matchmaking Framework: Web Service Network Model



Matchmaking Framework: Web Service Network Model

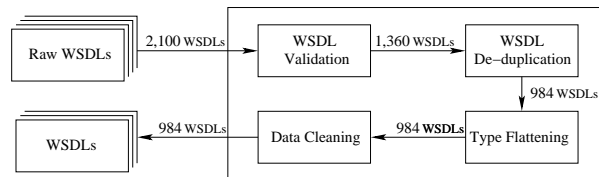


Plan of Study

- Use real-world public WSDL files
- Study the topology of various networks formed from the downloaded WSDL files
 - Small-world
 - Power-law
- Use different distance metrics and thresholds in parameter matching
 - Exact, Cosine with TF/IDF, WordNet

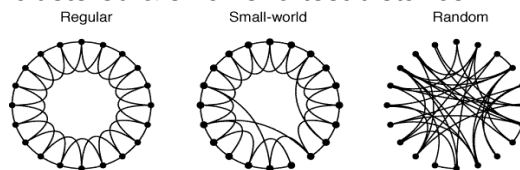
Data Pre-Processing

- Data Gathering: 2,100 WSDLs
 - 1,554 files from Fan et al. + top-1,000 WSDLs from Google
- WSDL Validation: 1,360 WSDLs are left
 - After removing 740 invalid WSDL files based on WSDL standard.
- WSDL De-duplication: 984 WSDLs are left
 - After removing 376 duplicate WSDL files at operation level.
- Type Flattening
 - When a parameter has not a simple type, we flatten the type.
 - ex) $p1(\text{address}, \text{addressType1})$, where addressType1 is $\{\text{integer zipcode}, \text{string street}, \text{string city}, \text{string state}\}$, changes to a set of parameters, $p11(\text{zipcode}, \text{integer})$, $p12(\text{street}, \text{string})$, $p13(\text{city}, \text{string})$ and $p14(\text{state}, \text{string})$.
- Data Cleaning
 - Improve data quality, e.g., replacing too general names such as “return”, “result”.



Small-World Network Model

- Watts & Strogatz (1998)
- Arrange N nodes in a ring and connect each node to k others in each direction. (each node degree = $2k$.)
- With probability p “re-wire” each connection from node i to a new node
- Small-world networks show both regularity and randomness
 - Highly clustered & small shortest distance

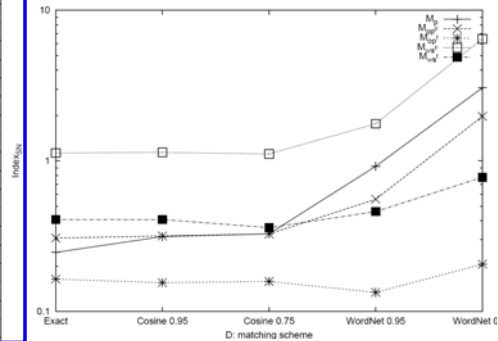


Small-World Network Model

- L : average shortest distance among all reachable pairs of nodes
- C : average clustering coefficient of all nodes
- $\text{Index}_{\text{SN}} = |C_{\text{actual}} - C_{\text{random}}| / |L_{\text{actual}} - L_{\text{random}}|$
- If a network is small-world, then
 - $C_{\text{actual}} \gg C_{\text{random}}$
 - $L_{\text{actual}} \sim L_{\text{random}}$
 - \Rightarrow Large Index_{SN}

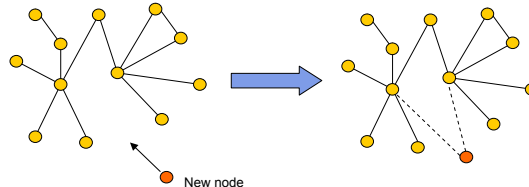
Result1: Small World

Matching Scheme	Network	L_{actual}	L_{random}	C_{actual}	C_{random}
Exact matching	M_p	4.31852	3.4244	0.2229	0.0021
	M_{sp}^p	2.8590	1.9830	0.3096	0.0362
	M_{sp}^s	3.7605	2.5628	0.2147	0.0180
	M_{es}^p	2.2710	1.9222	0.4809	0.0874
	M_{es}^s	2.9659	2.4250	0.2610	0.0405
Cosine (0.95)	M_p	4.1760	3.4442	0.2324	0.0022
	M_{sp}^p	2.8651	1.9881	0.3125	0.0340
	M_{sp}^s	3.7538	2.5787	0.2001	0.0173
	M_{es}^p	2.2847	1.9254	0.4925	0.0833
	M_{es}^s	3.0046	2.4803	0.2499	0.0359
Cosine (0.75)	M_p	4.1981	3.4730	0.2397	0.0020
	M_{sp}^p	2.8671	1.9925	0.3190	0.0326
	M_{sp}^s	3.7392	2.5910	0.1990	0.0172
	M_{es}^p	2.2923	1.9307	0.4822	0.0801
	M_{es}^s	2.9990	2.4394	0.2392	0.0375
WordNet (0.95)	M_p	3.6088	3.3282	0.2612	0.0027
	M_{sp}^p	2.4234	1.9425	0.3251	0.0574
	M_{sp}^s	3.4165	2.4440	0.1493	0.0190
	M_{es}^p	2.1222	1.8865	0.5290	0.1138
	M_{es}^s	2.6215	2.1839	0.2722	0.0510
WordNet (0.75)	M_p	3.2656	3.3665	0.3118	0.0390
	M_{sp}^p	2.0546	1.8743	0.4818	0.1256
	M_{sp}^s	2.6506	1.9657	0.1842	0.0429
	M_{es}^p	1.8484	1.7790	0.6697	0.2214
	M_{es}^s	2.2226	1.9023	0.3487	0.0993



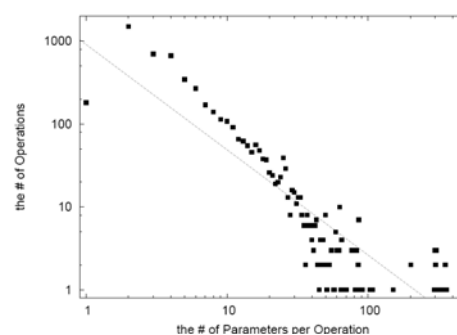
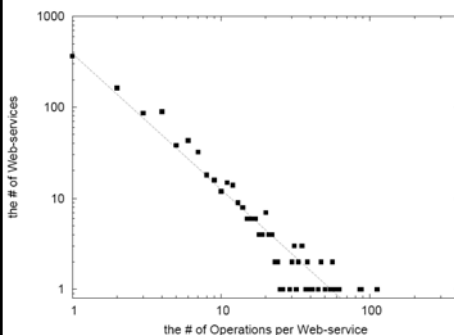
Scale-Free Network Model

- Barabasi & Albert (1999)
- Small number of nodes with many links (Hubs) and many nodes with only a few links
- Scale-free link distribution often follows power-law
 - the proportion of nodes with a given number of links n is $P(n)=1/n^k$.
- Network grows by addition of new nodes with preferential attachment to the existing nodes based on their number of links with a probability proportional to their degrees

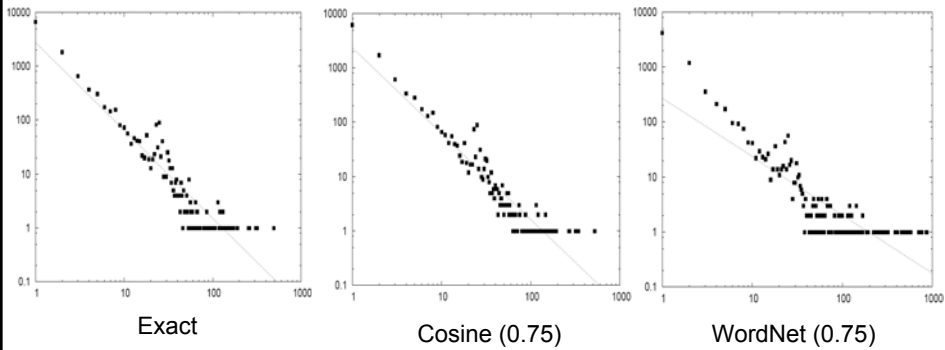


Result2: Power-law

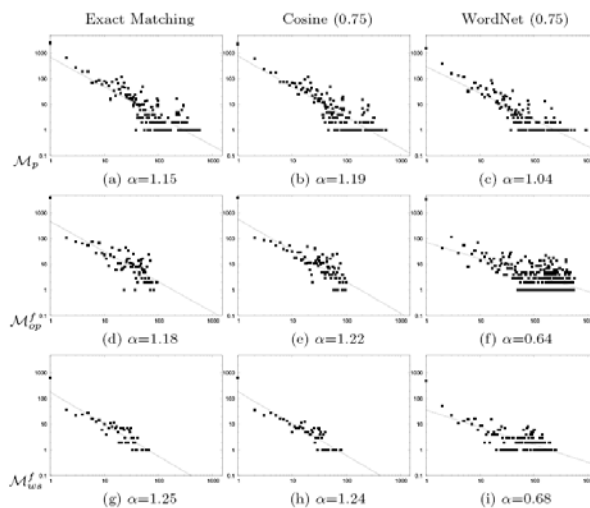
- Complexity of Web services



Result2: Popularity of Parameter Names



Result2: Out-degree Distribution



Conclusion

- Using five matching schemes and three network granularities:
 - Public web services networks show small-world network property
 - Public web service networks follow power-law like distribution pattern
- Semantic Web is needed:
 - Using only exact matching in web service composition is too rigid
 - Using approximate matching helps but not sufficient
 - Semantic web services matchmaking is needed (eg, WSDL-S)
- More study is needed:
 - Giant component size, diameter, formation of networks, etc.